NAME:

(please print)

Honor Code Pledge and Signature:

Fundamental Constants: $R = 8.31451 \text{ J} \text{ mol}^{-1} \text{ K}^{-1} = 0.0820578 \text{ L} \text{ atm mol}^{-1} \text{ K}^{-1} = 1.9872 \text{ cal mol}^{-1} \text{ K}^{-1}$ $N_A = 6.02214 \times 10^{23} \text{ mol}^{-1}$

- **I.** (20) Reaction Kinetics. The reaction, 2 A + B = C + 3 D, is second order in A, first order in B.
 - A. Write the rate law for the forward reaction, using k for the rate constant.
 - B. Give expressions for the rates of change of concentration with time, $d[A]_{dt}$, $d[B]_{dt}$, and $d[D]_{dt}$ in terms of the rate constant *k* and the appropriate concentrations. (Consider just the forward reaction.)

- C. If concentrations are in units mol/L, what are the units of k?
- D. If this reaction were an <u>elementary</u> reaction, what would the rate law be for the <u>reverse</u> reaction? Why is it virtually certain that this is <u>not</u> an elementary reaction?
- E. Suppose that $k = 1.3 \times 10^{-2}$ in units appropriate for concentrations in mol/L and time in s. If the initial concentrations are $[A]_0 = 2.00 \text{ mol/L}$ and $[B]_0 = 0.040 \text{ mol/L}$, calculate the half-life of the reaction. (**Hint:** Use the concept of <u>pseudo order</u>.)

F. Repeat the half-life calculation for the initial concentrations, $[A]_0 = 0.040 \text{ mol/L}$ and $[B]_0 = 2.00 \text{ mol/L}$.

- **II.** (10) Mathematical Kinetics. Consider the elementary reaction A 2 C.
 - A. Considering both forward (k_f) and reverse (k_b) reactions, obtain an expression for d[A]/dt in terms of [A] and [C]. Then take the initial concentrations $[A]_0 = a$ and $[C]_0 = 0$, and express [A] as [A] = a x. Obtain an equation for dx/dt.

B. Now consider the reaction at equilibrium. Express $[C]_{eq}$ in terms of $[A]_{eq}$, k_f , and k_b .

III. (10) Unimolecular Decomposition. To account for the unimolecular kinetics of decay, A B (+ C), observed for many molecules in the gas phase, Lindemann proposed a two-step mechanism,

1. A + M $A^* + M$, followed by 2. $A^* B(+C)$.

In this scheme, A* is an A molecule that has been energized physically by collision with M. Letting k_1 and k_{-1} represent the forward and reverse rates in the first step, and k_2 the second step, apply the steady-state approximation to A* to obtain an expression for r = d[B]/dt. Use your results to discuss the behavior observed in the limits of high and low [M]. In particular, define k_{uni} , tell what conditions yield the observed unimolecular kinetics, and explain the "falloff" region.

IV. (15) **Solution Theory.** A *regular* binary solution is characterized by the following expressions for the chemical potentials:

$$\mu_{\rm A} = \mu_{\rm A}^* + RT \ln x_{\rm A} + w \, x_{\rm B}^2; \qquad \qquad \mu_{\rm B} = \mu_{\rm B}^* + RT \ln x_{\rm B} + w \, x_{\rm A}^2 \,.$$

- A. Obtain expressions for the activity coefficients I,A and I,B for such a solution.
- B. Assuming that w is independent of P and T, obtain expressions for G_{mix} , G^E , and V_{mix} .
- C. Taking A to be solvent, what is II,B?

